

MECE 3350
Control Systems

Lecture 1
Introduction to Linear Control Systems

Videos in this lecture

Lecture 1: <https://youtu.be/TyJSMVarQZQ>

Exercise 1: <https://youtu.be/xHRKLbFdjvw>

Exercise 2: https://youtu.be/Up_FpeS5zUI

Applications of Control System

Autonomous robots

<https://www.youtube.com/watch?v=fRj34o4hN4I>



Applications of Control System

Autonomous cars

<https://www.youtube.com/watch?v=cdgQpa1pUUE>



Applications of Control System

Control of quadcopters

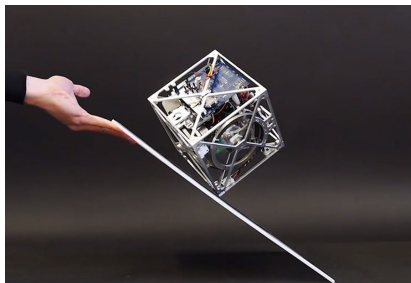
<https://www.youtube.com/watch?v=w2itwFJCgFQ>



Applications of Control System

Self-balancing robots

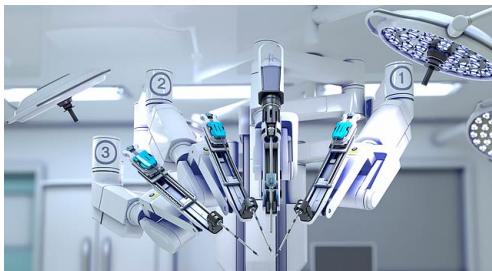
https://www.youtube.com/watch?v=n_6p-1J551Y



Applications of Control System

Robotic surgery

<https://www.youtube.com/watch?v=-5lzGk7dgCQ>



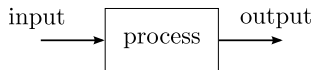
Anything else?

More applications

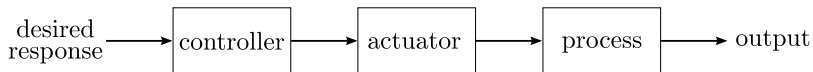
- Automatic assembly line
- Machine tool control
- Space technology and satellite control
- Power Systems
- Micro electro mechanical systems (MEMS)
- Smart transportation systems
- Ship stabilization systems
- Temperature control systems
- Missile launching systems
- Voltage stabilizer systems
- Sun tracking control of solar collectors
- ...

Control engineering

The first step in control engineering is to understand the system we want to control.



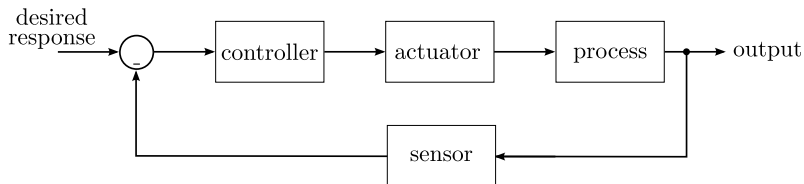
Then, we design a secondary system that controls the behaviour of the first system



This is called **open-loop control**.

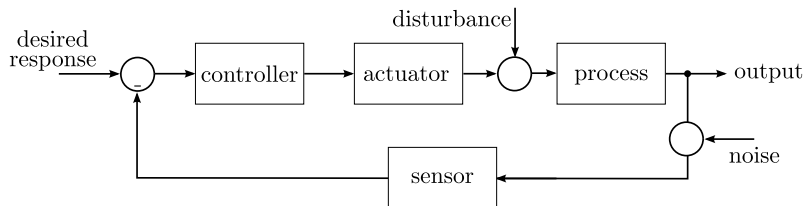
Control engineering

A **closed-loop** control system uses a measurement of the output and feedback of this signal to compare it with the desired output.



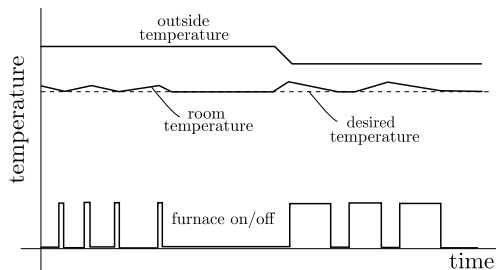
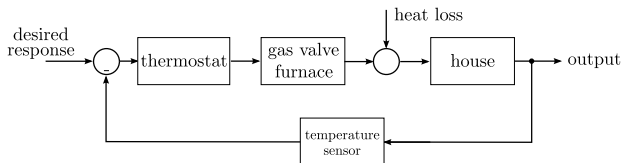
Control engineering

A **closed-loop** control system uses a measurement of the output and feedback of this signal to compare it with the desired output.

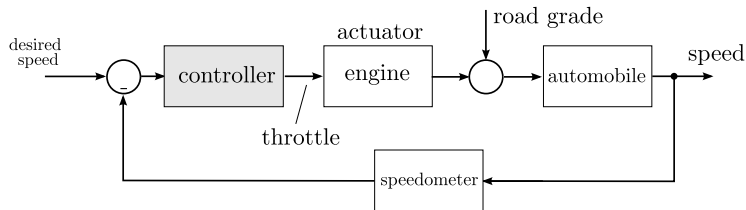


A simple feedback system

The variable being controlled is measured by a sensor and fed back to the controller to influence the controlled variable.



Example - cruise control



From measurements, we determined that:

→ A 1° change in the throttle angle causes a 10 km/h change in speed.

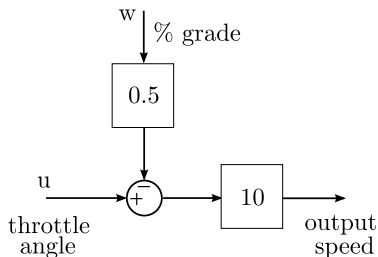
→ When the road grade changes by 1%, the speed changes by 5 km/h

Example - cruise control

Step 1 - Model the system to be controlled

→ A 1° change in the throttle angle causes a 10 km/h change in speed.

→ When the road grade changes by 1%, the speed changes by 5 km/h

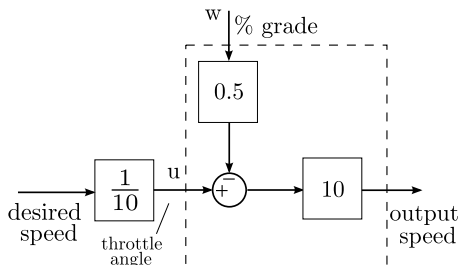


Example - cruise control

Step 2 - Find a suitable controller

→ A 1° change in the throttle angle causes a 10 km/h change in speed.

→ When the road grade changes by 1%, the speed changes by 5 km/h

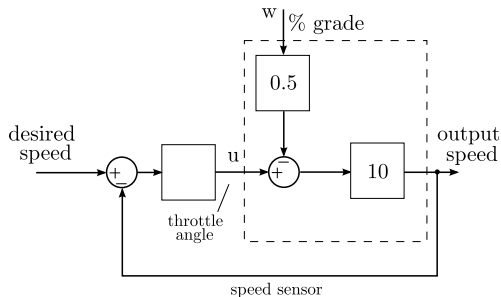


Example - cruise control

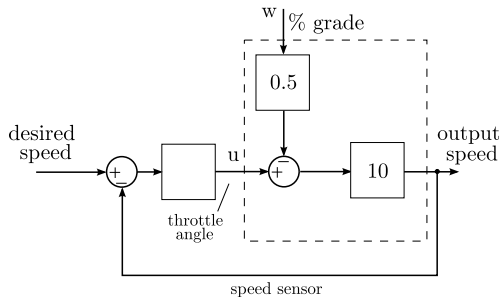
Step 2 - Find a suitable controller

→ A 1° change in the throttle angle causes a 10 km/h change in speed.

→ When the road grade changes by 1%, the speed changes by 5 km/h



Example - cruise control



$$y = 10(u - 0.5w)$$

$$u =$$

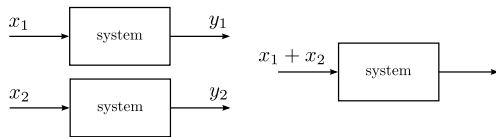
Combining the equations:

$$y = \frac{100}{101}r - \frac{5}{101}w$$

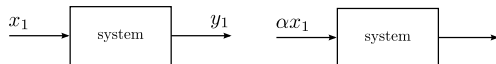
Linear systems

A linear system satisfies the properties of superposition and homogeneity

Superposition: x_i provides a response y_i , thus:

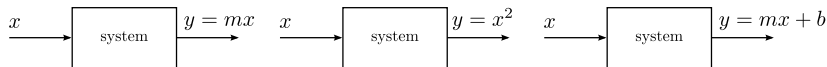


Homogeneity: x_1 provides a response y_1 , the response to αx_1 is:

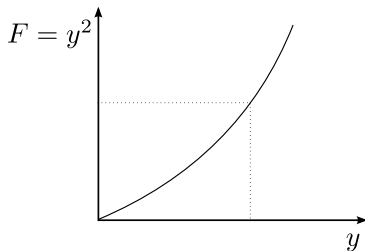
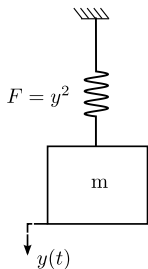


Linear systems

Are these systems linear ?



Linear approximations



Pendulum example

Torque vs angle θ

$$\tau(t) = mgl \sin(\theta)$$

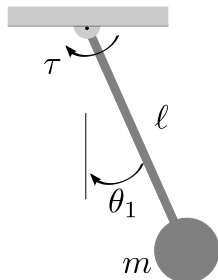
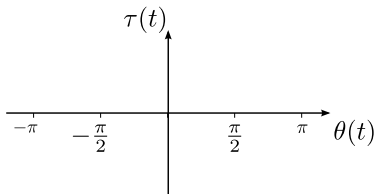
Is this system linear?

Taylor's series around $\theta = 0$:

$$\sin \theta = \theta - \frac{\theta^3}{3!} + \frac{\theta^5}{5!} - \frac{\theta^7}{7!} + \dots$$

For $\theta \approx 0$, we have:

$$\tau(t) \approx$$



Exercise 1

Sketch a block diagram for a manual steering system of an automobile. Indicate the location of the following elements and signals:

The process

The desired output signal

The sensor

The actuator

The actuator output signal

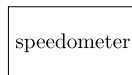
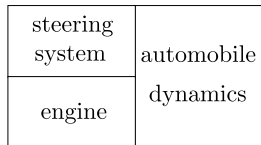
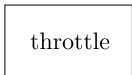
The controller

The controller output signal

The reference signal

The error signal

Exercise 1 - continued



Exercise 2

Sketch a block diagram from a manual steering system of a water level controlled by a float and valve. Indicate the location of the following elements and signals:

The process

The desired output signal

The sensor

The actuator

The actuator output signal

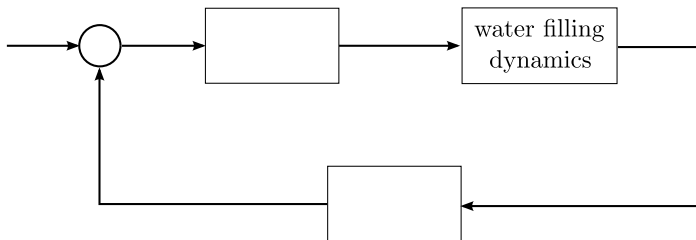
The controller

The controller output signal

The reference signal

The error signal

Exercise 2 - continued



Next episode...

- Dynamic models